

TITLE OF THE INVENTION

RECEIVER-INITIATED MULTIPLE ACCESS FOR AD-HOC NETWORKS (RIMA)

CROSS-REFERENCE TO RELATED APPLICATIONS

This application claims priority from U.S. provisional application serial number 60/225,019 filed on August 11, 2000, incorporated herein by reference.

STATEMENT REGARDING FEDERALLY SPONSORED RESEARCH

OR DEVELOPMENT

This invention was made with Government support under Grant No. F30602-97-2-0338, awarded by the Air Force Office of Scientific Research (AFOSR). The Government has certain rights in this invention.

REFERENCE TO A COMPUTER PROGRAM APPENDIX

Not Applicable

BACKGROUND OF THE INVENTION

1. Field of the Invention

The invention pertains generally to wireless ad-hoc networking, and more particularly to a medium access control protocol that provides correct collision-avoidance in wireless networks in which hidden terminals may exist.

2. Description of the Background Art

As the use of wireless systems become increasingly important, attention is being focused on a variety of wireless network protocols. A large body of work exists on the design of medium access control (MAC) protocols for wireless networks having hidden terminals. A number of problems have been identified with existing and proposed wireless protocols. One problems is the hidden-terminal problem of carrier sensing which reduces the performance of the carrier-sense multiple access (CSMA) protocol to that of the pure ALOHA protocol when the senders of packets are unable to hear one another, wherein the vulnerability period of packets extends to twice a packet length. The BTMA (busy tone multiple access) protocol was an early attempt to solve the hidden-terminal problem by introducing a separate busy tone channel. In addition, SRMA (split-channel reservation multiple access) was proposed for avoiding collisions by introducing a control-signal handshake between the sender and the receiver. A station in need of transmitting data to a receiver is thereby required to first send a request-to-send (RTS) signal packet to the receiver, wherein the receiver should respond by sending a clear-to-send (CTS) signal if it receives the RTS correctly. Therefore, a sender transmits a data packet only after successful receipt of a CTS. ALOHA and CSMA can be utilized by senders to transmit RTS signal packets.

A number of variations of SRMA have been proposed, and or developed, including MACA, MACAW, IEEE 802.11, FAMA, and so forth. These example protocols and the majority of protocols which are based on collision-avoidance handshakes are designed as sender-initiated protocols in which the node that wants to send a data

packet must first gain permission from the receiver by transmitting an RTS and receiving a CTS. In contrast, when utilizing the MACA by invitation (MACA-BI) protocol the receiver polls one of its neighbors asking if it has a packet to send. A reduction in control traffic is an attractive theoretical benefit that could be derived from the use of a receiver-initiated protocol. However, the MACA-BI protocol when utilized in a wireless network is unable to prevent data packet collisions within networks containing hidden terminals.

It will be appreciated, therefore, that a need exists for a wireless protocol that is capable of garnering the benefits of a receiver-initiated protocol while avoiding packet collision within networks which contain hidden terminals. The present invention satisfies those needs, as well as others, and overcomes the deficiencies of previously developed wireless network protocols.

BRIEF SUMMARY OF THE INVENTION

A method of handshaking between nodes within a medium access control protocol is described utilizing dual purpose polling that overcomes the packet collision problems within existing receiver-initiated protocols on networks in which one or more hidden terminals exist. The protocol methods of the present invention allow the collision-avoidance dialogues to be recast for control by senders, receivers, or both. Utilization of the resulting receiver-initiated collision-avoidance methods provide increased efficiency over sender-initiated collision-avoidance. Also incorporated within this description are analytical proofs to verify that correct collision-avoidance in networks subject to hidden terminals can be obtained using the collision-avoidance

the second node (polled node) subject to checking for channel activity within a second collision avoidance interval.

A further aspect of the invention provides a broadcast polling mode, referred to as RIMA-BP (broadcast polling) wherein the ready-to-receive signals are communicated to a number of neighbors. Collision avoidance between multiple responses is facilitated by having the polled node send a ready-to-send (RTS) control packet to precede the sending of the data packet, wherein a polling node subject to multiple RTS control packets can send a no-transmission-request (NTR) control packet to prevent data packet collisions.

The conclusion from an analysis of the existing protocols, and the RIMA protocols of the present invention indicate that the use of receiver-initiated multiple access with dual-use polling (RIMA-DP) according to an aspect of the present invention provides the highest level of efficiency of the MAC protocols for single-channel networks utilizing asynchronous transmissions.

An object of the invention is to reduce the control overhead within single channel wireless networks.

Another object of the invention is to prevent packet collisions within wireless networks.

Another object of the invention is to provide a method in which both sender-initiated protocols and receiver-initiated protocols may be utilized for reducing the amount of necessary control traffic.

Further objects and advantages of the invention will be brought out in the following portions of the specification, wherein the detailed description is for the purpose of fully disclosing preferred embodiments of the invention without placing limitations thereon.

BRIEF DESCRIPTION OF THE DRAWINGS

The invention will be more fully understood by reference to the following drawings which are for illustrative purposes only:

FIG. 1 is a data flow diagram of a segment from a wireless network containing hidden terminals.

FIG. 2 is a data flow diagram of a segment from a wireless network showing the operation of a receiver-initiated protocol subject to data collisions.

FIG. 3A are data flow diagrams of a RIMA-SP (simple polling) collision-avoidance method according to an aspect of the present invention, showing data transmission from polled node to polling node in response to an RTR control packet.

FIG. 3B are data flow diagrams of the RIMA-SP collision-avoidance method of FIG. 3A, showing node backoff in response to receiving RTR control packets destined for other nodes.

FIG. 3C are data flow diagrams of the RIMA-SP collision-avoidance method of FIG. 3B, showing the transmission of a no-transmission-request (NTR) control packet by the polling node upon detecting channel activity during a collision-avoidance interval after transmission of an RTR control packet.

FIG. 4B are data flow diagrams of the RIMA-DP collision-avoidance method of FIG. 4A, showing the use of the no-transmission-request (NTR) control packet to during a collision-avoidance interval subsequent to RTR control packet transmission.

FIG. 4C are data flow diagrams of the RIMA-DP collision-avoidance method of FIG. 4B, showing the use of the RTR control packet to request data packet transmission from the polling node to the polled node which is facilitated by the clear-to-send (CTS) control packet.

FIG. 4D are data flow diagrams of the RIMA-DP collision-avoidance method of FIG. 4C, showing nodes backing off upon receipt of RTR control packets destined for other nodes.

FIG. 5A are data flow diagrams of a RIMA-BP (broadcast-purpose) collision-avoidance method according to an aspect of the present invention, showing the use of a ready-to-send (RTS) control packet to prevent data packet collision when RTR control packets are broadcast to multiple neighboring nodes.

FIG. 5B are data flow diagrams of the RIMA-BP collision-avoidance method of FIG. 5A, showing the use of a no-transmission-request (NTR) control packet to prevent a data packet collision.

FIG. 5C are data flow diagrams of the RIMA-BP collision-avoidance method of FIG. 5B, showing node backoff in response to receipt of RTR control packets destined

for other nodes.

FIG. 6 is a graph of throughput performance versus load for a number of network protocols, wherein the network consists of five nodes.

FIG. 7 is a graph of throughput performance versus load for a number of network protocols, wherein the network consists of ten nodes.

FIG. 8 is a graph of throughput performance versus load for a number of network protocols, wherein the network consists of fifty nodes.

FIG. 9 is a graph of throughput performance under simulated heavy load conditions for a number of network protocols.

FIG. 10 is a state diagram showing a relationship between selected node states according to an embodiment of the RIMA collision-avoidance method of the present invention.

FIG. 11 is a graph of average delay, showing a comparison between a conventional FAMA-NCS collision-avoidance method and the RIMA-DP collision-avoidance method according to an aspect of the present invention.

FIG. 12A is a diagram of node topology utilized in the simulation of collision-avoidance methods, showing nodes N1 - N6 being directed to the same base station.

FIG. 12B is a diagram of node topology utilized in the simulation of collision-avoidance methods, showing two groups of five nodes each which are directed to a base station.

FIG. 12C is a diagram of node topology utilized in the simulation of collision-avoidance methods, showing two separate base stations with interconnected nodes of

which two can interact.

DESCRIPTION OF THE INVENTION

The present invention will now be described with reference to FIG. 1 through FIG. 12, which are for illustrative purposes. It will be appreciated that the apparatus may vary as to configuration and as to details of the parts, and that the method may vary as to the specific steps and sequence, without departing from the basic concepts as disclosed herein.

1. Receiver-Initiated Collision-avoidance

A number of critical design issues exist in receiver-initiated MAC protocols over a single channel, including (a) the choice of whether or not to use carrier sensing, (b) how to persist transmitting packets, (c) how to resolve collisions, and (d) deciding upon the method by which the receiver polls neighboring nodes in the network for data packets.

Carrier sensing is required to avoid collisions of data packets in sender-initiated collision-avoidance over single-channel networks in which transmissions occur in an asynchronous manner, such as without time slotting. It should be appreciated that the use of carrier sensing has also been shown to substantially increase packet throughput on the wireless network. Therefore, the receiver-initiated schemes described herein all presume the use of asynchronous transmissions along with carrier sensing which is considered to be non-persistent, and which simplifies the analysis of the protocols and has been shown to provide better throughput characteristics than persistent disciplines for CSMA and CSMA/CD at high packet loads. Furthermore, the treatment of receiver-initiated collision-avoidance assumes simple back-off strategies. It will be appreciated,

however, that the same schemes may be adopted with the use of more sophisticated back-off strategies or collision resolution algorithms, an analysis of benefits that may be derived therefrom is included.

Within sender-initiated collision-avoidance schemes, a node that has data to be communicated polls the network by sending a request-to-send (RTS) packet to other network nodes prior to transmission of the packet. In protocols that use carrier sensing, the RTS packet is sent only if the channel is free. Within receiver-initiated protocols, the decision as to how to send these polling packets is not as immediate as sending transmission requests in sender-initiated protocols. Furthermore, it will be illustrated that the selected polling discipline largely determines the performance of the protocol. A polling rate that is too infrequent, for example, results in low packet throughput and long average delays as each sender with a packet is slowed down by the polling rate of the receiver. By contrast, a polling rate that is too frequent also results in poor performance as the probability of polling packet collisions increases. Three primary factors which characterize the polling discipline within a receiver-initiated MAC protocol:

- (1) Whether the polling rate is independent of the data rate at polling nodes.
- (2) Whether the poll is sent to a particular neighbor or to all neighbors.
- (3) Whether the polling packet asks for transmission permission.

Polling disciplines may be categorized in terms of the relationship between polling rate and data rate as either an independent polling discipline, or a data-driven-polling discipline. When operating with independent polling, a node polls its neighbors at a rate that is independent of the data rate of the node, or the perceived data transmission rate

channel utilization, because data is sent after every successful handshake, and more data per successful handshake may then be sent as traffic load increases even if the polled node does not have data for the polling node. It should also be appreciated that a polling packet requesting data from a neighboring node could allow the polled node to send data to any destination, wherein the data may be sent to nodes other than the polling node. It will be appreciated, however, that the preceding "any destination" strategy would not operate efficiently in multi-hop networks, because no assurance exists that the data packet will be received without interference, as the data packet has been sent without the recipient requesting it. Although the three primary factors of a polling discipline can also be defined by using polling response schedules, these more complex receiver-initiated techniques are not described herein, in deference to the simpler mechanisms of single-node polling and broadcast polling.

2. Receiver-Initiated Protocols

Receiver-initiated MAC protocols according to the present invention are described for eliminating data packet collisions with other control packets, or data packets, even in the presence of hidden terminals. The original MACA-BI protocol utilizes a ready-to-receive (RTR) control packet to invite a node to send a data packet, and any given node may only send a data packet after having received an RTR control packet. Nodes which receive RTR control packets destined for other nodes are required to back off long enough to allow a packet to be sent in the clear. According to the description of MACA-BI, a polled node can send a data packet intended to the polling node of any other neighbor. In a fully-connected network, all the nodes must

back off after receiving an RTR control packet in the clear, irrespective of whether or not the data packet is being sent to the polling node. However, the situation changes for networks having one or more hidden terminals.

2.1. Protocols with Simple Polling

2.1.1. MACA-BI

MACA-BI protocols do not prevent data packets sent to a given receiver from colliding with other data packets sent concurrently in the neighborhood of the receiver. The drawbacks of the MACA-BI protocol will be illustrated through two examples. The first example is provided to illustrate that in order to avoid the transmission of data packets that the intended receiver cannot hear, because of other colliding data packets, a polled node should send data packets only to the polling node. The second example is provided to illustrate the possibility of data packet collisions at a receiver as a result of the receiver sending an RTR control packet at approximately the same time as the data destined for another receiver arrives.

FIG. 1 depicts an example in which nodes a and d send RTR control packets to nodes b and e at time t_0 , respectively, the arrival of which prompts the polled nodes to send data packets at time t_1 . A problem occurs however when at least one of the polled nodes sends a data packet addressed to c , wherein c is unable to hear either packet.

FIG. 2 depicts an example in which node a sends an RTR control packet to b at time t_0 . This RTR control packet causes node b to start sending data to node a at time t_1 which in order to provide adequate throughput must be larger than γ seconds,

where γ is the length of an RTR control packet. At time t_2 node c starts sending an RTR control packet to node d . As a result of carrier sensing, t_2 must be within τ seconds (maximum propagation delay) of t_1 . In this example, after receiving the RTR control packet from node c , node d replies with data that must start arriving at node c at time t_3 . Since the maximum propagation delay is τ , it must be true that $t_3 \leq t_2 + \gamma + 2\tau \leq t_1 + \gamma + 3\tau$. Hence, if data packets last longer than $\gamma + 3\tau$ seconds, the data packets from b and d collide at c . In practice, data packets must be much longer than RTR control packets to encourage high throughput and it thereby follows that MACA-BI is unable to assure that data packet collisions are avoided.

2.1.2. RIMA-SP

These shortcomings of the MACA-BI protocol which result in data packet collisions may be eliminated by making the following two modifications.

Restricting the polled node to only transmitting data packets destined for the polled node.

Adding a No-Transmission-Request (NTR) signal, and adding a collision-avoidance waiting period of ξ seconds at polled nodes prior to answering an RTR control packet.

If any channel activity is heard during the collision-avoidance waiting period then the receiver (polling node) that originated an RTR control packet sends an no-transmission-request (NTR) control packet telling the polled node not to send any data. Otherwise, if no activity is detected during the waiting period, the polled sender

transmits its available data for the polling node. The above described protocol of the present invention is based on the MACA-BI protocol and is referred to as receiver-initiated multiple access with simple polling (RIMA-SP).

In RIMA-SP, every node initializes itself to a START state in which the node waits for a time period comprising twice the maximum propagation delay, plus the hardware transmit-to-receive transition time(ε), before sending anything over the channel. This enables the node to find out if there are any ongoing transmissions. After a node is properly initialized, it transitions to the PASSIVE state. Regardless of node state the node must first listen to the channel for a period of time sufficient for the node to start receiving packets in transit prior to transmitting anything to the channel.

If a node in the PASSIVE state detects noise in the channel then it must transition to the BACKOFF state. If a node x in the PASSIVE state obtains an outgoing packet to send to neighbor z , it transitions to the RTR state. Node x in the RTR state uses non-persistent carrier sensing to transmit an RTR control packet. If node x detects carrier upon attempting to sent the RTR control packet, it transitions to the BACKOFF state, which and the node backs off immediately for a sufficient amount of time to allow a complete handshake between a sender-receiver pair to occur. If carrier is not detected by node x , then node x sends an RTR control packet. If node z correctly receives the RTR control packet and has data for node x it wait for ξ seconds. If no activity is detected within the channel during the waiting period, node z transitions to the XMIT state and transmits a data packet to node x and node x accordingly sends an acknowledgement (ACK) upon data packet receipt, as shown in

exceed the maximum propagation delay. In ad-hoc networks within ISM bands, the propagation delays are much smaller compared with any packet that needs to be transmitted.

To reduce the probability of ongoing competitions between nodes competing for a given receiver at the time of a subsequent RTR control packet, the RTR control packet preferably includes a back-off time period value to facilitate contention prevention. In response to the specified time period given within the RTR control packet, nodes that enter the BACKOFF state compute a random backoff time as a multiple of the specified back-off-period within the RTR control packet. One simple form of computation consists of computing a random number of back-off-period units using a uniformly distributed random variable from 1 to d , where d is the maximum number of neighbors which exist for a given receiver. A simple back-off-period unit can consist of the time required for sending a small data packet, or other communication time metrics.

2.2. Protocols with Dual-Use Polling

The described collision-avoidance strategy for RIMA-SP can be improved by increasing the probability that data follows a successful RTR transmission, without violating the rule that data packets should be transmitted only if they are addressed to the polling nodes. The RIMA-DP (receiver-initiated multiple access with dual-purpose polling) protocol provides a preferred method of increasing the probability that data will follow an RTR is to utilize the RTR as a dual-purpose request, wherein the RTR control packet requests data from the polled node, and simultaneously requests permission to allow the polling node to send data. FIG. 4A through FIG. 4D illustrate collision-

avoidance handshaking according to RIMA-DP which permits the polling node to either receive or send data without collisions. FIG. 4A depicts a key benefit of dual-use polling within RIMA-DP, specifically both polling and polled nodes can send data in a round of collision-avoidance, which is possible because the RTR control packet causes all the neighbors of the polling node to back-off, and the data from the polled node similarly causes all of its neighbors to back off, which can then be used by the polling node to send its data. Polled node data packet transmission is shown in FIG. 4A. The use of a no-transmission-requests (NTR) control packet is depicted in FIG. 4B when the polling node detects channel activity after sending an RTR control packet. It should be appreciated that transmission priority in RIMA-DP is given to the polling nodes. For example, when a node z is polled by node x and has data for node x , node z waits ξ seconds before sending a data packet. In contrast to this, if the polled node does not have data for x , it immediately sends a CTS (clear-to-send) control packet to x as shown in FIG. 4C. This permits a polling node x exposed to a neighbor sending data to hear part of the data packet sent by the neighbor after sending its RTR control packet. In a case such as that, node x can send an NTR control packet to the polled node to cancel its RTR control packet, which prevents collisions of the data packets provided that z waits for $\xi > \gamma + 7\tau$ seconds before sending any data after being polled, and the length of a CTS control packet is 2τ seconds longer than the length of an RTS control packet. RIMA-DP protocol is similar to the RIMA-SP protocol with regard to the preferred equal length of the RTR and RTS control packets. FIG. 4D depicts nodes receiving RTR control packets destined for other nodes, wherein the nodes backoff to

prevent possible data packet collision.

As in RIMA-SP, every node starts in the START state and transitions to the PASSIVE state upon initialization. If a node x is in the PASSIVE state and senses carrier, it transitions to the REMOTE state to defer to ongoing transmissions. Prior to attempting to transition from the REMOTE state, a node must allow sufficient time for the successful completion of a handshake. Any node in the PASSIVE state that detects noise in the channel is required to transition to the BACKOFF state where it must similarly allow sufficient time for a successful handshake. Node x transitions from the PASSIVE state to the RTR state upon receipt of an outgoing packet to send to neighbor z . While in the RTR state node x behaves in a manner consistent with RIMA-SP. If node z receives the RTR correctly, and it has data for node x , it pends for ξ seconds prior to sending a data packet to node x . If no activity is detected in the channel during the waiting period, node z transitions to the XMIT state from which it transmits a data packet to x . However, if activity is detected in the channel, then node z assumes that a data transfer to a hidden node is occurring or that a packet collision has occurred, wherein it transitions to a BACKOFF state. Node z immediately sends a CTS to node x if no data is available to be sent to node x . If node x detects carrier immediately after sending an RTR, it will defer its transmission attempt and send an NTR to the node it polled. CTS length, which is preferably τ seconds longer than an RTR, forces polling nodes that send RTR control packets at about the same time when a polled node sends a CTS to detect carrier from the CTS and to cease any attempts to send or receive data. It will be appreciated that any node, other than x , which receives the CTS

for x is required to transition to the BACKOFF state. Upon node x receiving the CTS from node z it transitions to the XMIT state and transmits a data packet to z .

2.3. Protocols with Broadcast Polling

FIG. 5A through FIG. 5C illustrate another preferred approach wherein an RTR control packet may be sent to multiple neighbors in a broadcast polling mode and the protocol is referred to as RIMA-BP (broadcast polling). RIMA-BP may be distinguished from RIMA-SP in that an RTS control packet is sent, as shown in FIG. 5A, prior to the transmission of a data packet. A node, therefore, broadcasts an RTR control packet only when there exists a local data packet (data-driven polling). A node is thereby only allowed to send data after it receives an invitation to do so. It should be appreciated that a poll broadcast which is sent to all the neighbors of a node can trigger multiple neighboring nodes to attempt sending data to the polling node. Therefore, an additional no-transmission-request (NTR) control packet as shown in FIG. 5B is utilized to ensure that transmission collisions do not occur during transmissions of user data, and any collisions are further constrained to short duration events. The additional control packet is preferably implemented by having the polled node send a short RTS (ready-to-send) control packet prior to sending data. Furthermore, after sending an RTS control packet, the polled node is required to wait for ξ seconds to allow the polling node to send an NTR control packet if collisions between RTS control packets occur at the polling node. It can be shown that the use of RIMA-BP correctly avoids collisions in the case of $\xi = 4\tau$. FIG. 5C depicts nodes receiving RTR control packets destined for other nodes, wherein the nodes backoff to prevent possible data packet collision. It will be

appreciated the timing of the return from backoff is preferably responsive to a parameter within the RTR control packet which is modulated by a random number, such that nodes do not simultaneously return from the respective backoff states.

3. Correct Collision-avoidance in RIMA Protocols

Collision-avoidance utilizing the RIMA-SP and RIMA-DP protocols are configured to ensure that no collisions occur between data packets and any other transmissions. A theoretical analysis of the protocols ensues in which the following assumptions have been made:

- (A0) A node transmits an RTR control packet that does not collide with any other transmissions with a non-zero probability.
- (A1) The maximum end-to-end propagation time in the channel is given by $\tau < \infty$.
- (A2) A packet sent over the channel which is not subject to collision with other transmissions is delivered error-free with a non-zero probability.
- (A3) All nodes correctly execute the RIMA protocol.
- (A4) The transmission time of an RTR and a CTS control packet is γ , the transmission time for a data packet is given by δ , and the hardware transmit-to-receive transition time is zero; furthermore, $2\tau < \gamma \leq \delta < \infty$.
- (A5) There is no capture of fading in the channel.

The analytical approach utilized to verify the operation of the RIMA collision-avoidance protocols consists of illustrating that data packets sent by nodes are correctly received by the intended receiver without interference. Polling nodes and polled nodes

exist, as in any receiver-initiated collision-avoidance scheme, and it must be shown that any interference at the polled node prevents the polled node from sending data, while any detected interference at a polling node that has sent an RTR control packet forces the node to jam the polled node to prevent data from arriving and colliding at the polling node.

In view of the necessity of detecting interference at both the polling nodes and polled nodes, the described receiver-initiated collision-avoidance protocols utilize carrier sensing. It will be appreciated that the applicability of carrier detection is substantially limited to baseband radios, slow frequency hopping radios, and so forth, and that periods of fading may disrupt dialogue within any collision-avoidance system, such as may arise from data packet collisions which arise in the presence of fading. The analysis of the protocols is simplified by assuming that both the processing overhead and the turn-around delays are negligible.

Theorem 1: *RIMA-SP provides correct collision-avoidance in the presence of hidden terminals, under the condition that $\xi = \tau$.*

Proof: Consider a polling node A and a polled node X , and assume that A sends an RTR at time t_0 . If X does not receive the RTR correctly due to interference from any neighbor hidden from A , it does not send any data. Else, X waits $\xi = \tau$ seconds after receiving the RTR from A before sending its data to A . Since propagation delays are positive, the earliest time when X can start sending data to A is $t_1 > t_0 + \gamma + \tau$. On the other hand, if A detects interference immediately after sending its RTR, for instance at time $t_0 + \gamma$, it commences to send an NTR to X , and this NTR must start arriving at X

no later than $t_2 \leq t_0 + \gamma + \tau$. Because $t_1 > t_2$, it follows that X cannot send data to A that can collide with any other transmission arriving at A .

Theorem 2: *RIMA-DP provides correct collision-avoidance in the presence of hidden terminals, providing that $\xi > \gamma + 7\tau$ and a CTS lasts 2τ seconds longer than an RTR.*

Proof: Consider a polling node A , a polled node X , and assume that A sends an RTR to X at time t_0 . If A is exposed to a polled node Y sending data or a CTS, A must have started its RTR within τ seconds of the Y node commencing transmission, otherwise A would have detected carrier caused by Y and would not have sent an RTR. Accordingly, since data packets and CTS packets are at least $\gamma + 2\tau$ in length, A is required to detect carrier associated with the transmission from Y immediately after sending an RTR, which forces node A to send an NTR $t_0 + \gamma$. Therefore, regardless of what happens at the polled node X , the polling node A must send an NTR immediately following its RTR and back-off, wherein it is incapable of sending any data if any exposed polled node is either sending or requesting data.

Assume that A is not exposed to a polled node sending or requesting data, but is exposed to a polling node B . Let A pole node X and B pole node Y .

For both A and B to send their RTR control packets they must do so within τ seconds of each other, for otherwise one the two would detect carrier and back-off. For X to send any packet to A (data or CTS), the RTR from A must be received collision-free at X . Whereas X can successfully receive the RTR control packet from A no earlier than $t_1 > t_0 + \gamma$, as all propagation delays are positive. If X has no data for A , it sends a CTS immediately to X . This CTS can arrive in its entirety at A no earlier than

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$t_2 > t_0 + 2\gamma + 2\tau$, because a CTS lasts $\gamma + 2\tau$ seconds and propagation delays are constrained to positive values. The same situation holds true for the node Y polled by B . Therefore, if both X and Y send data, Y must be hidden from A , and X must be hidden from B , and no data packets collide.

Protocol variations are now considered. In a first case one polled node sends a CTS and the other sends data, in a second case both polled nodes send data, and in a third case each polled node sends a CTS.

Without loss of generality, assume that Y sends a CTS and X is ready to send data. The earliest time when X can start sending data is $t_2 > t_0 + 2\gamma + \xi$ because propagation delays are necessarily positive. However, the latest time at which A must begin to receive data sent by B , after B receives the CTS from Y , is

$t_3 \leq (t_0 + \tau) + (2\gamma + 3\tau) + \tau$. The first $t_0 + \tau$ term stems from the fact that node B can send its RTR up to τ seconds after A commences sending its RTR. The second term $(2\gamma + 3\tau)$ corresponds to the RTR from B , and the CTS from Y , plus the corresponding maximum propagation delays, and the last term τ is the maximum propagation delay of data from B to A . Accordingly, A must detect carrier and commence sending an NTR at time t_3 , and X must detect carrier from the NTR of A at a time given by

$t_4 \leq t_3 + \tau \leq t_0 + 2\gamma + 7\tau$. Because $t_2 > t_0 + \gamma + \xi$ and $\xi > \gamma + 7\tau$, it follows that X cannot send its data to A , and thereby no collisions may occur.

If both X and Y send data or a CTS after being polled, no collision occurs within the data packets because, as it has been shown, that X must be hidden from B and Y

must be hidden from A . Therefore, RIMA-DP correctly provides collision-avoidance.

4. Performance Analysis of RIMA Protocols

The anticipated performance for the various polling policies described for the RIMA protocols according to the present invention are analyzed and compared with current collision-avoidance protocols, namely MACA and FAMA-NCS. The choice of protocols was made because MACA is the simplest sender-initiated collision-avoidance protocol and FAMA-NCS has the best reported performance of existing MAC protocols based on sender-initiated collision-avoidance.

4.1. Approximate Throughput

Throughput for the receiver-initiated protocols is approximated using the model first introduced by Kleinrock and Tobagi for CSMA protocols and subsequently utilized for analyzing MACA, FAMA, MACA-BI, and several other collision-avoidance protocols. The following list of assumptions are made according to this model.

1. N nodes exist in the fully-connected network
2. Single unslotted channel is used for all packets and it introduces no errors
3. All nodes can detect collisions perfectly.
4. Data packet size given by duration of δ seconds and the size of control packets RTR, ACK, and RTS are approximately γ and the size of a CTS for FAMA-NCS is $\gamma + 2\tau$.
5. Turn-around time ε is considered to be part of the control packet duration.
6. Channel propagation delay between any two nodes is τ seconds.

The prior analysis of receiver-initiated MAC protocols did not take into account

the effect of ACK control packets for the sake of simplicity, however, the present analysis includes the overhead incurred by ACK control packets which are necessary for information the sender of the correct reception of a data packet.

To provide a non-biased comparison between sender-initiated and receiver-initiated protocols while preserving the tractability of the analytical model, it is assumed that a polled node receiving an RTR control packet always has a data packet to send, however, the probability that the data packet is addressed to the polling node is $\frac{1}{N}$.

Furthermore, it is assumed that each node sends its RTR according to a Poisson distribution with a mean rate of $\frac{\lambda}{N}$, and that, when applicable, the polling node chooses the recipient of the RTR control packet with equal probability. This model is slightly biased against RIMA protocols in relation to MACA-BI since the likelihood that a polled node can transmit is considered to remain constant despite an increasing traffic load. To account for this disparity, heavy traffic approximations are described wherein a polled node always has data to send to any polling node.

The corresponding assumptions for sender-initiated protocols are that a node always has packets to send, but schedules the transmission of RTS control packets according to a Poisson distribution with a mean rate of $\frac{\lambda}{N}$, and selects the polling node as the neighbor to which the RTS control packet is sent with probability $\frac{1}{N}$. These assumptions preserve the validity of prior analytical results for FAMA and MACA. As a result RTS control packets and RTR control packets arriving at a rate which follows a

Poisson distribution, the average channel utilization is given by:

$$S = \frac{\bar{U}}{\bar{B} + \bar{I}} \quad (1)$$

where \bar{B} is the expected duration of a busy period defined to be a period of time during which the channel is being utilized, \bar{I} is the expected duration of an idle period defined as the time interval between two consecutive busy periods, and \bar{U} is the time during a busy period that the channel is used for transmitting user data successfully.

4.1.1. MACA-BI Analysis

The throughput of the MACA-BI protocol in a fully-connected network is described in the following. In a network with hidden terminals, the performance of MACA-BI degrades substantially according to two factors (a) the probability of bad busy periods which increase in response to the probabilities that either a node sends an RTR control packet within τ seconds of any neighbor sending a data packet, or a node receives a data packet addressed to it while it also receives other data packets; and (b) the length of a bad busy period is proportional to the length of a data packet, rather than the length of an RTR control packet as in RIMA-SP.

Theorem 3: *The throughput for a MACA-BI protocol in a fully-connected network is given by:*

$$S = \frac{\delta}{\delta + \gamma + 2\tau + \frac{1}{\lambda} + (\gamma + 2\tau)e^{\lambda\tau}} \quad (2)$$

Proof: Because a successfully polled node can send data to any neighbor, the probability that a successful transmission occurs equals the probability that an RTR is

transmitted successfully, that is:

$$P_s = e^{-\lambda\tau} \quad (3)$$

The duration of every successful busy period is $2\gamma + \delta + 3\tau$, and the first and the last packet of the busy period is the successful packet of the period. Because the network is fully connected, a failed busy period can occur only when there is a collision between RTR control signals, the probability of which is given by $1 - P_s$. The average duration of any busy period always consists of at least the duration of an RTR control packet along with the associated propagation delay, $\gamma + \tau$, plus the average time between the first and last RTR of the busy period, which is denoted by \bar{Y} and is the same as in CSMA, for example:

$$\bar{Y} = \tau - \frac{1 - e^{-\lambda\tau}}{\lambda}$$

If the busy period is successful, a data packet is also sent, therefore, the length of the average busy period in MACA-BI is given by:

$$\begin{aligned} \bar{B} &= \lambda + 2\tau - \frac{1 - e^{-\lambda\tau}}{\lambda} + e^{-\lambda\tau} (\delta + \gamma + 2\tau) \\ &= \lambda + 2\tau - \frac{1}{\lambda} + e^{-\lambda\tau} \left[\tau + \frac{1}{\lambda} + \delta \right] \end{aligned} \quad (4)$$

The length of the average idle period is $\frac{1}{\lambda}$, and the length of the average utilization period is given by:

$$\bar{U} = \delta P_s = \delta e^{-\lambda\tau} \quad (5)$$

The theorem follows by substituting the values of \bar{U} , \bar{B} , \bar{I} in Eq. 1.

Throughput for MACA-BI has been previously reported, however, the prior throughput derivations did not take into account that, in computing the length of an average busy period, the first and last RTR control packets of a busy period are the same and that there exists a non-zero probability that a polled node has no packets to send to any node if RTR control packets are sent when packets arrive following a Poisson distribution. The results of Theorem 2 are substantially the same for the assumed model of the analysis in which a polled node always has something to send, even if it is not the polled node.

4.1.2. RIMA-SP Analysis

The throughput of the RIMA-SP in a fully-connected network is estimated in the following analysis. It should be appreciated that within a network having hidden terminals the performance of RIMA-SP degrades as a result of the increasing vulnerability of the RTR control packets from one propagation delay to essentially twice the duration of the RTR control packet, and by the need to poll nodes to send NTR control packets after the detection of interference.

Theorem 4: *The throughput for RIMA-SP in a fully-connected network is given by:*

$$S = \frac{\delta \frac{1}{N}}{\frac{\delta + \lambda + \tau}{N} + \xi + \tau + \frac{1}{\lambda} + (\gamma + 2\tau)e^{\lambda\tau}} \quad (6)$$

where $\xi = \tau$.

Proof: Because of the independence assumptions, the probability that a successful transmission occurs equals the probability that an RTR control packet is transmitted successfully, times the probability that the polled node has a data packet for the polling

node at the head of its queue, as given by:

$$P_s = e^{-\lambda\tau} \left(\frac{1}{N} \right) \quad (7)$$

The duration of every successful busy period is $2\gamma + \delta + \xi + 3\tau$. Notice that in the current case, the first and last packet of the busy period is the successful packet of the period. In RIMA-SP, a failed busy period can occur when a collision occurs between RTR control packets, or when an RTR control packet is sent in the clear but the polled sender does not have a data packet to send to the polling node. The first case occurs with the probability:

$$P_{F1} = 1 - e^{-\lambda\tau} \quad (8)$$

The probability of the second case of a failed busy-period scenario occurring is given by:

$$P_{F2} = e^{-\lambda\tau} \left(1 - \frac{1}{N} \right) \quad (9)$$

As was the case with MACA-BI, every busy period consists of at least one RTR control packet and an associated propagation delay, such as $\gamma + \tau$, plus the average time between the first and the last RTR control packet of the busy period denoted by \bar{Y} . When the busy period fails due to the collision of one or more RTR control packets, there are no additional time components remaining within the busy period. When the busy period is successful, $Y = 0$, and additional time is incurred due to the collision-avoidance waiting time and a data packet is incurred, such as $\delta + \xi$. Finally, if the busy period fails as a result of the polled node not having a data packet for the polling node,

then an additional propagation delay along with a collision-avoidance waiting time are incurred. Accordingly, the length of the average busy period is given by:

$$\begin{aligned}\bar{B} &= \lambda + 2\tau - \frac{1 - e^{-\lambda\tau}}{\lambda} + \frac{1}{N} e^{-\lambda\tau} (\delta + \gamma + \xi + 2\tau) + e^{-\lambda\tau} \left(1 - \frac{1}{N}\right) (\xi + \tau) \\ &= \lambda + 2\tau - \frac{1}{\lambda} + e^{-\lambda\tau} \left[\xi + \tau + \frac{1}{\lambda} + \frac{\delta + \gamma + \tau}{N} \right]\end{aligned}\quad (10)$$

The length of the average idle period is given by $\frac{1}{\lambda}$, and the length of the average utilization period is given by:

$$\bar{U} = \delta P_s = \delta e^{-\lambda\tau} \left(\frac{1}{N} \right) \quad (11)$$

The theorem follows by substituting the values of \bar{U} , \bar{B} , and \bar{I} in Eq. 1.

4.1.3. RIMA-DP Analysis

The throughput of the RIMA-DP method within a fully-connected network is estimated in the following analysis. It should be appreciated that performance would degrade within a network having hidden terminals due to the increased vulnerability period of the RTR control packets, which equates to one propagation delay in a fully-connected network and is twice the duration of an RTR control packet in a network with hidden terminals.

Theorem 5: *The throughput of RIMA-DP for a fully-connected network is given by:*

$$S = \frac{\delta \left(1 + \frac{1}{N}\right)}{2\gamma + \delta + 3\tau + \frac{1}{\lambda} + \frac{1}{N} (\delta + \xi) + (\gamma + 2\tau) e^{\lambda\tau}} \quad (12)$$

where $\xi > \gamma + 7\tau$.

Proof: Because the network is fully connected, whenever an RTR control packet is transmitted successfully a packet always follows, either from the node sending the poll or the polled node. Therefore, the probability of success, P_s , is equal to the probability with which an RTR control packet is transmitted successfully. Because all nodes are connected, an RTR control packet from node w is successful if there are no other RTR control packets transmitted within τ seconds from the start of the RTR control packet. After this vulnerability period of τ seconds, all the nodes detect the carrier signal and act appropriately. Accordingly,

$$P_s = e^{-\lambda \tau} \quad (13)$$

The probability, P_{s1} , with which the polled node has data to send to the polling node is equal to the probability that an RTR control packet is sent in the clear, times the probability that the polled node has a packet to send to the polling node, that is:

$$P_{S1} = e^{-\lambda r} \left(\frac{1}{N} \right) \quad (14)$$

The second case of a successful busy period occurs when the polled sender does not have a packet to send and therefore it sends a CTS control packet back to the sender of the RTR control packet enabling that node to send a data packet. The probability, P_{S_2} , with which this scenario occurs is equal to the probability that an RTR control packet is sent in the clear, times the probability that the polled node has no data packet for the polling node, as expressed by:

$$P_{S2} = e^{-\lambda\tau} \left(1 - \frac{1}{N} \right) \quad (15)$$

Similar to RIMA-SP, the length of an average busy period always includes an RTR control packet and a propagation delay, plus the average time between the first and the last RTR control packet of the busy period. When the busy period fails, there are no additional components in it. With probability, P_{s1} , a successful busy period case contains two data packets, one from the polled node followed by one from the polling node, two ACK control packets, plus the associated propagation delays and the collision-avoidance waiting period of ξ seconds. A probability exists, P_{s2} , that a successful busy period contains a single data packet from the polling node, an ACK control packet, plus a CTS control packet from the polled node and the associated propagation delays. It follows that the duration of the average busy period is given by:

$$\begin{aligned}\bar{B} &= \lambda + 2\tau - \frac{1 - e^{-\lambda\tau}}{\lambda} + e^{-\lambda\tau} \left[\frac{1}{N} (2\delta + \xi + 2\gamma + 3\tau) + \left(1 - \frac{1}{N} \right) (2\gamma + \delta + 3\tau) \right] \\ &= \lambda + 2\tau - \frac{1 - e^{-\lambda\tau}}{\lambda} + e^{-\lambda\tau} \left[\frac{1}{N} (\delta + \xi) + 2\gamma + \delta + 3\tau \right]\end{aligned}\quad (16)$$

This is the result of the inter-arrival times for RTR control packets which are exponentially distributed, it follows therefore that $\bar{I} = \frac{1}{\lambda}$. The average time at node w is

the proportion of time in which useful data are sent, consequently;

$$\begin{aligned}\bar{U} &= P_{s1} (2\delta) + P_{s2} (\delta) \\ &= e^{-\lambda\tau} \frac{2\delta}{N} + e^{-\lambda\tau} \left(1 - \frac{1}{N} \right) \delta = e^{-\lambda\tau} \delta \left(1 + \frac{1}{N} \right)\end{aligned}\quad (17)$$

Arrival at Eq. 12 results from substituting values of \bar{U} , \bar{B} , and \bar{I} into Eq. 1.

4.1.4. RIMA-BP Analysis

A similar analysis is provided of the throughput for the RIMA-BP method.

Theorem 6: *The throughput of RIMA-BP is given by:*

$$S = \frac{\delta}{\delta - \xi + \tau + \left(\frac{N}{N-1}\right)^{N-1} \left[\frac{1}{\lambda} + \gamma + \xi + 2\tau + e^{\lambda\tau} (\gamma + 2\tau) \right]} \quad (18)$$

where $\xi > \gamma + 7\tau$.

Proof: Given the independence assumptions, the probability of success, P_s , equals the probability with which an RTR control signal is transmitted successfully, times the probability with which an RTS control signal is transmitted successfully. Since all nodes are connected, an RTR control signal from node w is successful if there are no other RTR control signals transmitted within τ seconds, wherein all the node detect the carrier signal and act appropriately. As a result of the Poisson distribution of the arriving RTR control packets to the channel with a rate λ , the relationship may be expressed:

$$P_{SRTT} = e^{-\lambda\tau} \quad (19)$$

The probability that only one of the nodes that receive a successful RTR control signal transmits an RTS control signal is equal to the probability that only one neighbor has a packet ready for eh polling node. Because at each neighbor this is the case with probability $\frac{1}{N}$, and because each node has $N-1$ neighbors, this can be expressed as

follows:

$$P_{SRTS} = (N-1) \left(\frac{1}{N} \right) \left(1 - \frac{1}{N} \right)^{N-2} \quad (20)$$

Therefore, the probability with which a packet is transmitted successfully is given by:

$$\begin{aligned}
 P_S &= P_{SRTT} P_{SRTS} \\
 &= e^{-\lambda\tau} (N-1) \left(\frac{1}{N} \right) \left(1 - \frac{1}{N} \right)^{N-2}
 \end{aligned} \tag{21}$$

There are three ways in which a busy period can be unsuccessful, for instance it may contain no data packet. First, the RTR control packets sent in the busy period may collide with one another, which occurs with probability $1 - e^{-\lambda\tau}$ because all nodes can hear one another. A busy period can also fail if a single RTR control packet is sent in the clear but none of the polled nodes has a packet to send to the polling node. The probability of this scenario is given by:

$$P_{F2} = e^{-\lambda\tau} \left(1 - \frac{1}{N} \right)^{N-1} \tag{22}$$

The last case of a failed busy period is when an RTR control signal is successful, but more than one RTS control signal has been sent in response. In this case, the polling node sends an NTR control packet immediately upon detecting the collision. The probability with which this type of busy period occurs is:

$$P_{F3} = e^{-\lambda\tau} \left[1 - 2 \left(1 - \frac{1}{N} \right)^{N-1} \right] \tag{23}$$

The average length of a busy period always includes the length of an RTR control packet, a propagation delay, and the average time between the first and the last RTR control packet in the busy period, which is the same as in the previous proofs within this section. When the RTR control packets collide, the busy period has no additional components.

The probability P_s exists that the busy period will also include an RTS control packet from the polled node, a collision-avoidance waiting time at the polling node, the data packet from the polled node, the ACK control packet from the polling node, plus the associated propagation delays. The probability P_{F2} exists that the busy period will contain a waiting time of 2τ after which the polling node detects no RTS control packets. Finally, the probability P_{F3} exists that the busy period will also contain the length of the RTS control packets that collide, and its propagation delay, a collision-avoidance waiting time at the polled nodes, and a propagation delay with which the polling node starts sensing the collision. Accordingly, the duration of an average busy period is given by:

$$\begin{aligned} \bar{B} = & \lambda + 2\tau - \frac{1 - e^{-\lambda\tau}}{\lambda} + e^{-\lambda\tau} \left(1 - \frac{1}{N}\right)^{N-1} (2\tau) \\ & + e^{-\lambda\tau} \left(1 - \frac{1}{N}\right)^{N-1} (2\gamma + \delta + \xi + 3\tau) + e^{-\lambda\tau} \left(1 - 2\left(1 - \frac{1}{N}\right)^{N-1}\right) (\gamma + \xi + 2\tau) \end{aligned} \quad (24)$$

According to the RIMA-SP specification, the channel will be idle after every data transmission for a period of $\tau + \varepsilon$ seconds. In addition, the channel is idle for a time period equal to the inter-arrival rate of RTR control packets, so that $\bar{I} = \frac{1}{\lambda}$. The average utilization time at node w is the proportion of time in which useful data are sent, and it follows that:

$$\bar{U} = \delta P_s = \delta e^{-\lambda\tau} (N-1) \left(\frac{1}{N}\right) \left(1 - \frac{1}{N}\right)^{N-2}$$

$$= \delta e^{-\lambda\tau} \left(1 - \frac{1}{N}\right)^{N-1} \quad (25)$$

substituting the equations for \bar{U} , \bar{B} , and \bar{I} into Eq. 1 yields Eq. 18.

4.1.5. Numerical Results

Variable are introduced in Table 1 for comparing the various RIMA protocols with MACA, FAMA-NCS, and MACA-BI protocols. Performance was estimated based on the assumption of a fully-connected network topology with a propagation delay of one microsecond (1 μ S), a five hundred byte data packets (500 bytes), control packets RTR, CTS, ACK, and NTR having twenty bytes each (20 bytes) for the various RIMA protocols, a CTS control packet of length $\gamma + \tau$ for FAMA-NCS, a channel rate of one-megabit-per-second (1 Mb/S), and preambles and processing overhead delays which are assumed to be of zero length for simplicity.

FIG. 6 through FIG. 8 depict throughput versus offered load attained for MACA, FAMA-NCS, MACA-BI, RIMA-SP, RIMA-DP, and RIMA-BP. The offered load is the average offered load when the network consists of five nodes in FIG. 6, ten nodes in FIG. 7, or fifty nodes in FIG. 8. The performance attained by RIMA-DP far exceeds that attained by other MAC protocols that provide collision avoidance (FAMA-NCS, RIMA-SP, and RIMA-BP). This should be expected in view of the ability of RIMA-DP to send one or two packets with each successful handshake, while only one packet per handshake may be sent with the other protocols. The graphs illustrate that the performance of RIMA-SP degrades rapidly as the size of a node neighborhood increases, despite the fact that the model only roughly approximates the impact

resulting from neighborhood size, and illustrates that fact that simple polling is inherently limited compared to dual-use polling, because at light and moderate loads, a non-zero probability exists that the polled node has no data to send to the polling node.

It will be appreciated from the graphs that the throughput of RIMA-BP is independent of the number of nodes that exist in the neighborhood, yet is always lower than that provided by RIMA-DP. Two primary reasons appear to exist for this behavior, (1) a node receiving a broadcast poll can only transmit packets to the polling node, and (2) multiple responses (RTS control packets) to the poll are likely to be sent which incur wasted busy periods.

The throughput graphs of FIG. 6 through FIG. 8 also illustrate that carrier sensing is necessary for providing high throughput in addition to correctly avoid collisions. The poor performance of the MACA protocol is due to the long busy period durations within which collisions occur that are bounded by a maximum round trip delay and a control packet length with carrier sensing. It should be appreciated, however, for MACA and variants of collision-avoidance protocols that do not use carrier sensing, that the available COTS radios provide carrier sensing only with FHSS radios operated in ISM bands wherein the entire packets are sent in a single frequency hop. In contrast, collision-avoidance without carrier sensing can be applied to FHSS and DSSS radios. However, in view of the performance advantages available when utilizing carrier sensing, it would appear that FHSS radios are a more attractive alternative than DSSS radios for use in ad-hoc networks. The throughput graphs illustrate that MACA-BI achieves the highest throughput among all the protocols considered, because a polled

node can transmit a data packet to any node, not just the polling node. It should be appreciated, however, as discussed previously that a polled node should transmit only if it has data meant for the polling node in order to avoid sending data to a neighbor that is incapable of receiving the transmission in the clear. Nevertheless, the high performance of MACA-BI which has been previously reported by researchers indicates that a receiver-initiated collision-avoidance protocol should perform very well when nodes have traffic to send to the majority of their neighbors.

FIG. 9 illustrates another throughput comparison that perhaps provides a more equivalent comparison between MACA-BI and RIMA protocols. The comparison is achieved without moving toward a more complex model involving hidden terminals, by approximating heavy-traffic conditions which assume that a polled node always has data to send to any polling node. This approximation is actually close to actual operating conditions in large networks in which a node always has packets in its transmission queue meant for different destinations and has to distribute those packets among its various neighbors. Using this approximation, the probability that a successful RTR packet generates two data packets in RIMA-DP is unity, while the probability that an RTR control packet will not be answered in RIMA-SP is zero, with FIG. 9 illustrating the corresponding results. Under the assumptions of heavy-traffic, RIMA-DP achieves the highest throughput under any given average load, and RIMA-SP exhibits a throughput equivalent to MACA-BI. Both RIMA-DP and RIMA-SP achieve higher throughput than FAMA-NCS in this case as well.

A number of items of interest may be gleaned from the performance results. A strategy which provides collision-avoidance as a joint-effort by both receiver and sender, such as in RIMA-DP, is able to obtain a higher performance than that achieved with FAMA-NCS. The higher throughput would be expected from dual-use polling as it doubles the opportunity for collision-free data to be sent. Protocols based on simple polling (RIMA-SP) yield higher performance than MACA with small numbers of neighbors, however, their performance degrades with increasing numbers of neighboring nodes. RIMA-SP exhibits lower performance than FAMA and RIMA-DP, because polled nodes can send data packets only to polling nodes to avoid collisions, therefore, at low and moderate levels of loading a non-zero probability exists that a polled node has nothing to send to the polling node. It is interesting to note that the undirected polling (RIMA-BP) always provides lower performance than dual-purpose polling. However, the use of undirected polling is still more attractive than simple polling when the node neighborhood increases in size.

4.2. Average Delay

The average delays for RIMA-DP was determined since this protocol provided the best throughput amongst the MAC protocols based on receiver-initiated collision avoidance. It is necessary to recognize the transitions which a node follows according to the packet received as well as the probability with which each of those transitions occurs in order to calculate the average packet delays for a packet that is ready for transmission. As the inter-arrival times of the packets follow a Poisson distribution, the average delay may be calculated as a Markov process. It is assumed that four states

exist in the model, comprising ARRIVE, BACKOFF, ATTEMPT, and COMPLETE, the transition between which are depicted in FIG. 10, with the transition from the ATTEMPT, to the COMPLETE state where the packet is assumed to be delivered. With probability $(1 - P_s)$, the transmitting node fails and a failed transition period is length T_F seconds occurs, after which the node transitions to the BACKOFF state.

The purpose of the BACKOFF state is to express the random waiting time that a node waits prior to contending for the channel again. The average waiting period is assumed to be given as T_B seconds. After T_B seconds have elapsed, the probability that the node will find the channel clear is P_C and in this case a transition to the ATTEMPT state is performed. Otherwise the channel may be found busy with a probability of $(1 - P_C)$ and the node remains in the BACKOFF state for a length of time equal to the average transmission period plus the average idle period. The average delay for a packet to transition from the ARRIVED state to the COMPLETE state is expressed as \bar{D} . If $E(A)$ is the expected delay each time a node is in the ATTEMPT state, and $E(B)$ is the expected delay every time a node is in the BACKOFF state, then \bar{D} is given by:

$$\bar{D} = T_p + T_s - T_F - T_B - \bar{I} + P_B \left[T_B - \bar{I} - \frac{T_p}{2} \right] + \frac{T_B + T_F - T_p - \bar{I}}{P_s} + \frac{(P_B - 1)(T_p + \bar{I})}{P_C} + \frac{T_p + \bar{I}}{P_C P_s} \quad (26)$$

Substituting the appropriate values in Eq. 27 the average delay for RIMA-DP may be calculated. As previously described, $T_{s1} = 3\gamma + \delta + 4\tau = 4\gamma + 2\delta + 11\tau$, and P_{s1} is given in Eq. 14, $T_{s2} = 3\gamma + \delta + 4\tau$, and P_{s2} is given in Eq. 15, therefore T_s in RIMA-DP is given

by:

$$T_s = \frac{1}{2} \left[(3\gamma + \delta + 4\tau) + \left(\frac{1}{N} \right) (\delta + \gamma + 7\tau) \right] e^{-\lambda\tau} \quad (27)$$

Eq. 13 yields P_s , and \bar{U} , and \bar{I} have already been calculated for RIMA-DP, therefore,

P_B is equal to:

$$P_B = \frac{\gamma + 2\tau - \frac{1 - e^{-\lambda\tau}}{\lambda} + \left[(3\gamma + \delta + 4\tau) + \left(\frac{1}{N} \right) (\delta + \gamma + 7\tau) \right] e^{-\lambda\tau}}{\frac{1}{\lambda} + \left[(3\gamma + \delta + 4\tau) + \left(\frac{1}{N} \right) (\delta + \gamma + 7\tau) \right] e^{-\lambda\tau}} \quad (28)$$

The probability P_C is equal to the probability that there is no packet arrival during the waiting period, given by:

$$P_C = e^{-\lambda T_B} \quad (29)$$

For the sake of simplicity, it is assumed that $T_F = \gamma + \tau + \varepsilon$ when a node fails to acquire exclusive use of the channel. The average transmission period T_p is once again equal to an average busy period or $T_p = \bar{B}$. Substituting this information into Eq. 27 the average delay for a packet under RIMA-DP is found to be:

$$\begin{aligned} \bar{D}_{RIMA-DP} = & \bar{B} + \frac{1}{2} \left[(3\gamma + \delta + 4\tau) + \left(\frac{1}{N} \right) (\delta + \gamma + 7\tau) \right] e^{-\lambda\tau} \\ & - \gamma - 2\tau - \varepsilon - T_B - \bar{I} + P_B \left(T_B - I - \frac{\bar{B}}{2} \right) \\ & + T_B + \gamma + \varepsilon + 2\tau - \bar{B} - \bar{I} e^{-\lambda T_B} \\ & + \left[(P_B - 1)(\bar{B} + \bar{I}) + (\bar{B} + \bar{I}) e^{\lambda\tau} \right] e^{\lambda T_B} \end{aligned} \quad (30)$$

For FAMA-NCS the average busy period is $\bar{B} = \gamma + 2\tau - \frac{1 - e^{\lambda\tau}}{\lambda} + e^{\lambda\tau}(2\gamma + \delta + 4\tau)$. The duration for a successful busy period is, $T_s = 3\gamma + \delta + 4\tau$, while the duration of a failed busy is, $T_f = \gamma + \tau + \varepsilon$. The average time spent in the BACKOFF state before a node attempts to acquire the floor again is, $T_b = 5\gamma$. The probability of success is $P_s = e^{\lambda\tau}$. Lastly, $P_c = e^{-\lambda T_b}$, and by substituting these values into Eq. 27 the average delay for FAMA-NCS may be obtained.

FIG. 11 illustrates the average delay for FAMA-NCS and RIMA-DP, wherein it is assumed that $\tau = 0.0001$, $\gamma = 0.02$, $\varepsilon = 0.002$, and $T_b = 5\gamma$. It can be seen, therefore, that RIMA-DP provides equal, or lower, average delays than available using the FAMA-NCS protocol.

5. Simulation Results

The analytical results were validated by performing simulation experiments to investigate the performance of RIMA-DP under different network topologies and to show how it compares in relation to CSMA and FAMA-NCS. The OPNET simulation tool was utilized for implementing the protocols. The results of the simulation tests are given in Table 2 for RIMA-DP, and FAMA-NCS, while available simulation results were utilized for MACAW from a paper published in the proceedings of *ACM SIGCOMM* in August of 1994 by V. Barghavan, S. Shenker, and L. Zhang entitled: "MACAW: A Media Access Protocol for Wireless LANs".

The simulation experiments considered the use of single channel radios that are only capable of either receiving or transmitting data at a given time at a data rate of one

Data packets are generated according to a Poisson distribution and the data packet size is assumed to be equal to five hundred and twelve bytes (512 bytes), which renders a capacity of approximately two hundred forty four data-packets-per-second (244 dpps), excluding overhead. Table 2 lists the maximum throughput achieved by RIMA-DP, FAMA-NCS, and MACAW. It will be appreciated that for the fully-connected topology of FIG. 12(a), RIMA-DP achieves a maximum throughput of eighty three percent (83%), while FAMA-NCS achieves a seventy six percent (76%) throughput. RIMA-DP achieves a maximum throughput equal to, or exceeding, that of FAMA-NCS in all the topologies under consideration. It will be appreciated that the results of the simulation tests followed the predictions provided by the analytical models.

6. Conclusions

Collision-avoidance has been presented based at the receiver instead of the sender which demonstrates the required handshaking features to eliminate data packet collisions at the intended receiver in networks containing hidden terminals. The simple comparative analysis of throughput protocols for receiver-initiated multiple access protocols illustrated that a receiver-initiated collision-avoidance strategy can provide a higher efficiency than any of the sender-initiated strategies utilized or proposed to date. The proposed method of utilizing dual-purpose polling (RIMA-DP) was found to always provide improved performance in relation with sender-initiated collision avoidance methods.

Although RIMA protocols have been analyzed only for fully-connected networks, it should be appreciated that the analysis indicates which forms of collision-avoidance

methods should be investigated further. It will also be appreciated that since RIMA protocols provide correct collision-avoidance even in topologies containing hidden terminals, that the relative performance differences also apply thereto, unlike the use of the conventional protocols which are unable to correctly avoid collisions when hidden terminals exist. It is apparent from the results obtained, that the proposed dual-purpose polling strategies directed to specific neighbors can yield the most promising results. Simulation experiments using OPNET confirm the results of the simple analytical model used and show that RIMA-DP achieves a higher maximum throughput than FAMA-NCS or MACAW in networks with hidden terminals.

Accordingly, it will be seen that this invention provides high throughput handshaking methods, RIMA, for use in ad-hoc wireless networks. It will be appreciated that a number of variants of the RIMA protocols may be implemented by one of ordinary skill in the art without departing from the teachings of the present invention.

Although the description above contains many specificities, these should not be construed as limiting the scope of the invention but as merely providing illustrations of some of the presently preferred embodiments of this invention. Therefore, it will be appreciated that the scope of the present invention fully encompasses other embodiments which may become obvious to those skilled in the art, and that the scope of the present invention is accordingly to be limited by nothing other than the appended claims, in which reference to an element in the singular is not intended to mean "one and only one" unless explicitly so stated, but rather "one or more." All structural, chemical, and functional equivalents to the elements of the above-described preferred

embodiment that are known to those of ordinary skill in the art are expressly incorporated herein by reference and are intended to be encompassed by the present claims. Moreover, it is not necessary for a device or method to address each and every problem sought to be solved by the present invention, for it to be encompassed by the present claims. Furthermore, no element, component, or method step in the present disclosure is intended to be dedicated to the public regardless of whether the element, component, or method step is explicitly recited in the claims. No claim element herein is to be construed under the provisions of 35 U.S.C. 112, sixth paragraph, unless the element is expressly recited using the phrase "means for."

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Table 1

Normalized Variables

$a = \frac{\tau}{\lambda}$	Normalized propagation delay
$b = \frac{\gamma}{\lambda}$	Normalized control packets
$G = \lambda \times \delta$	Offered load, normalized to data packets

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Table 2

Simulation Results: Maximum Throughput for Various Network Topologies

Network	RIMA-DP	FAMA-NCS	MACAW
(a)	0.83	0.76	0.63
(b)	0.58	0.58	0.49
(c) (B1)	0.76	0.74	0.45
(c) (B2)	0.76	0.74	0.39

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